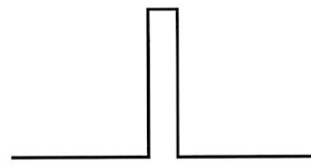
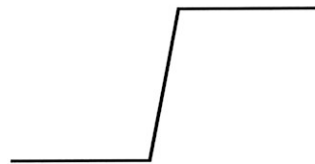


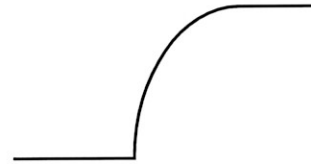
line



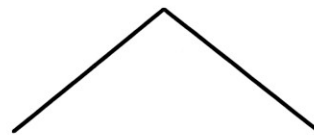
bar



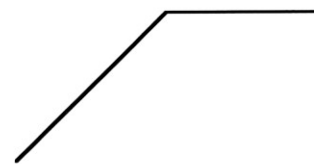
step



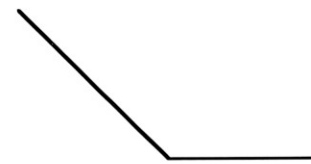
convex



roof

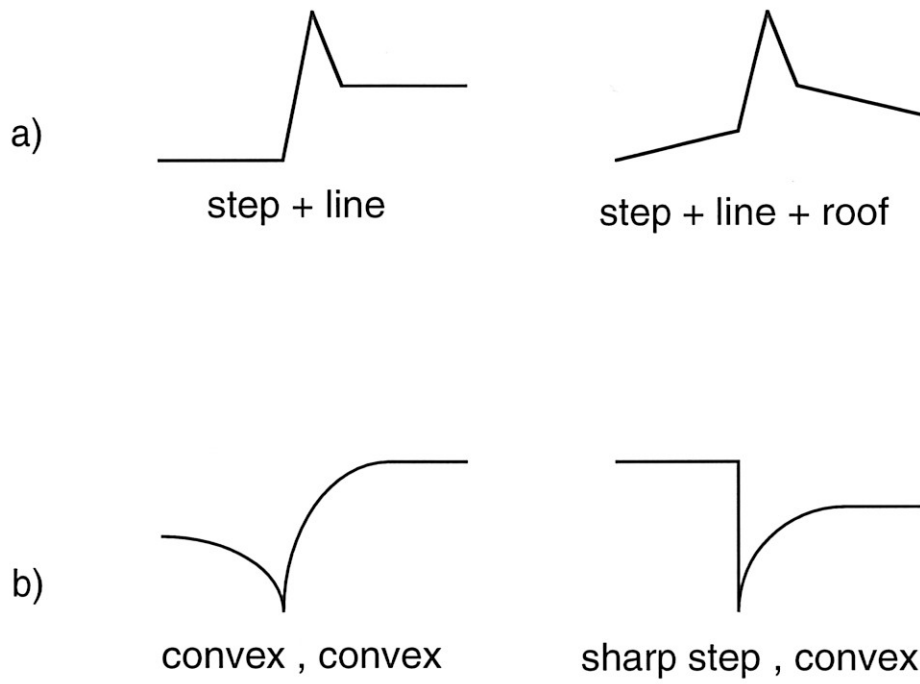


positive  
Mach band

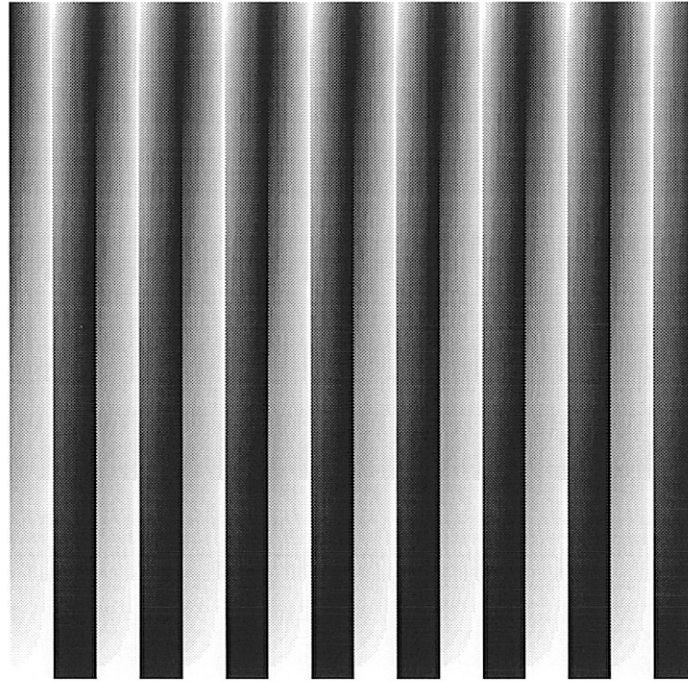


negative  
Mach band

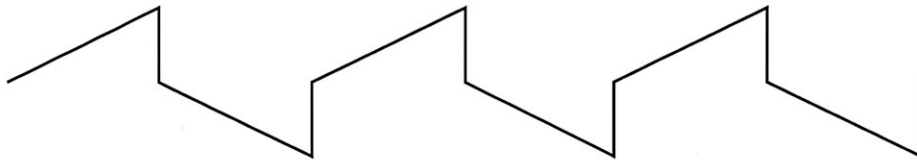
**Figure 1.** Grey-level profiles (across the normal direction) of seven primary types of edges.



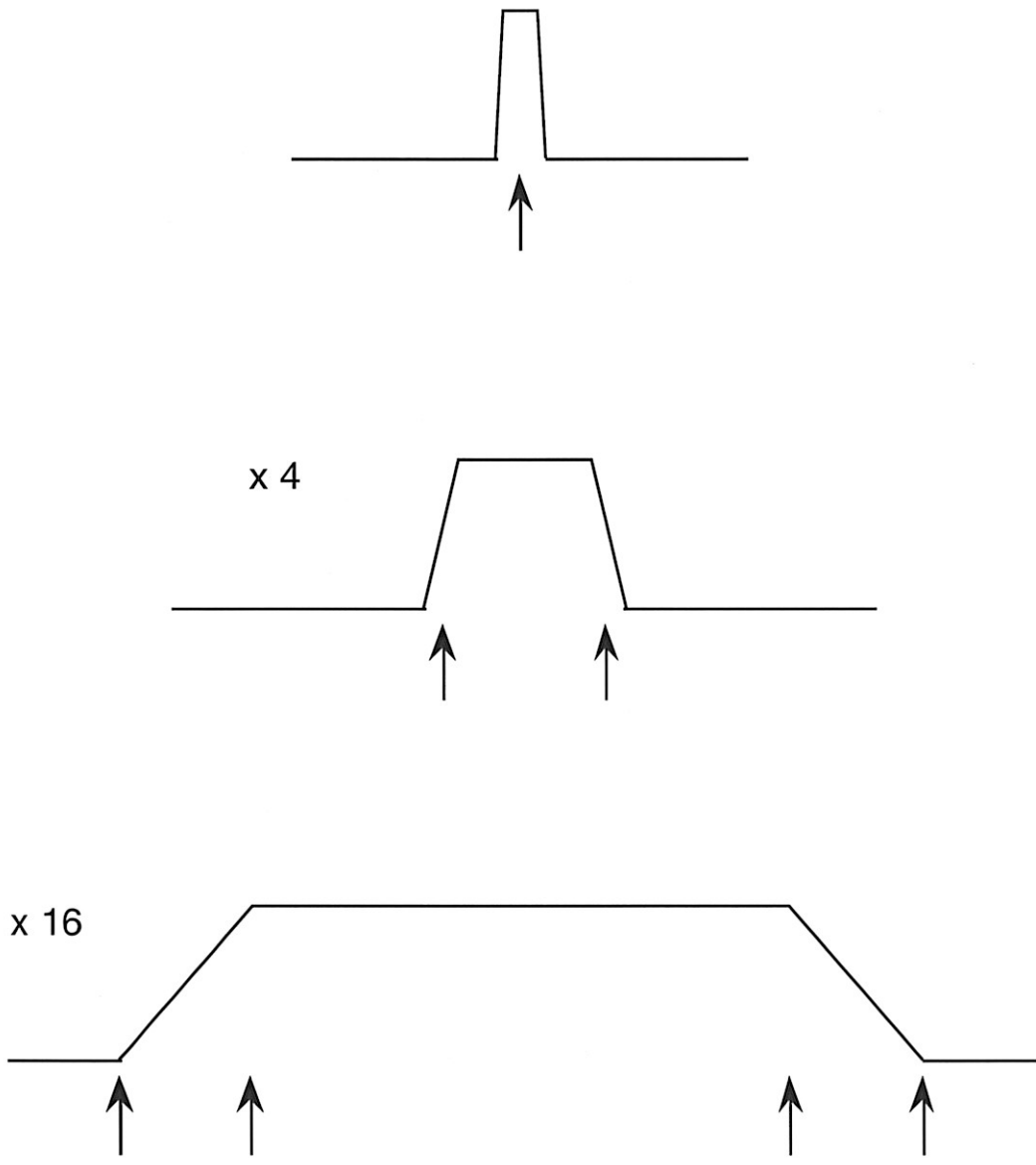
**Figure 2.** Secondary types of edges can be built by combining edges of primary type in two ways: a) linear superposition; b) succession. We show in both cases the grey-level profiles across the normal direction.



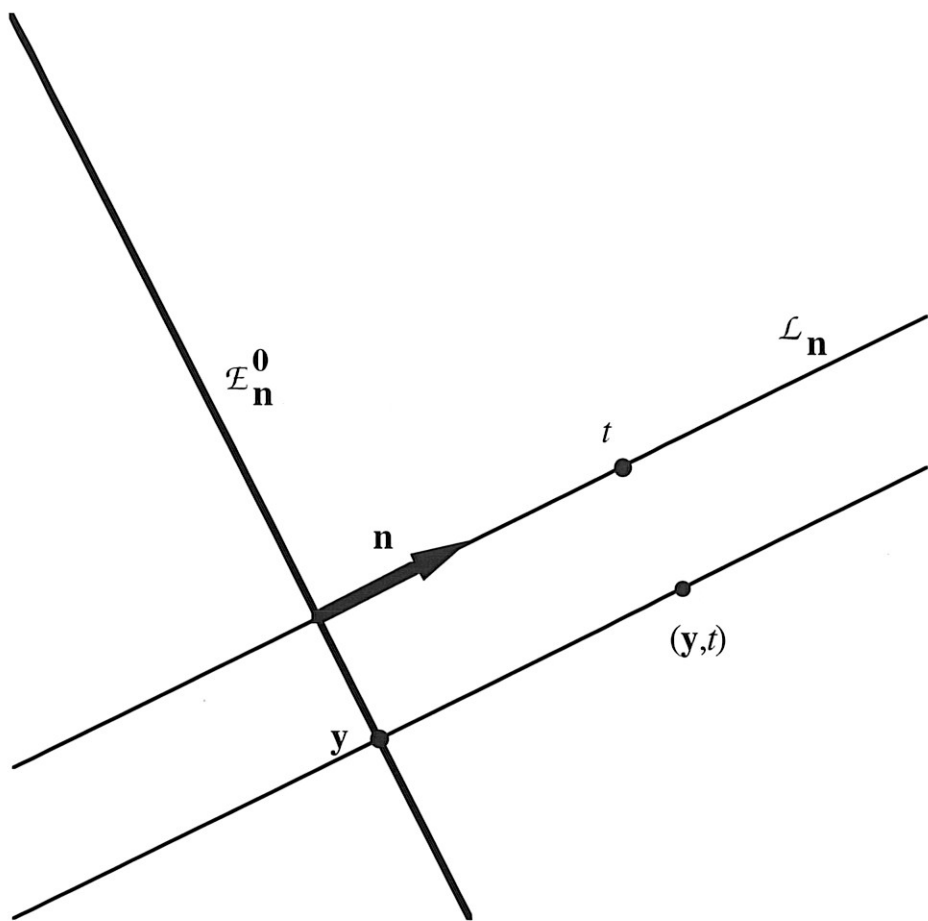
**Figure 3.** Vertical grating whose horizontal sections are varying from a triangular wave to a square one. In the middle, where both waves are superposed, the edges (combining a step and a roof) are seen slightly to the left of their true location. This is consistent with the phase congruence model for the human perception of edges.



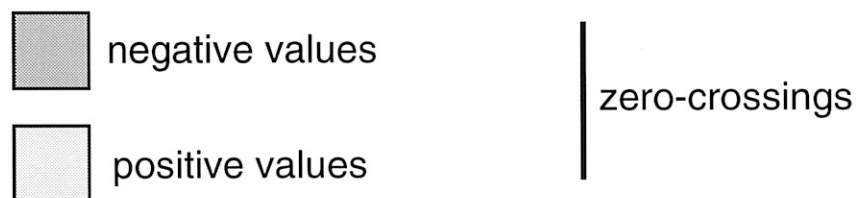
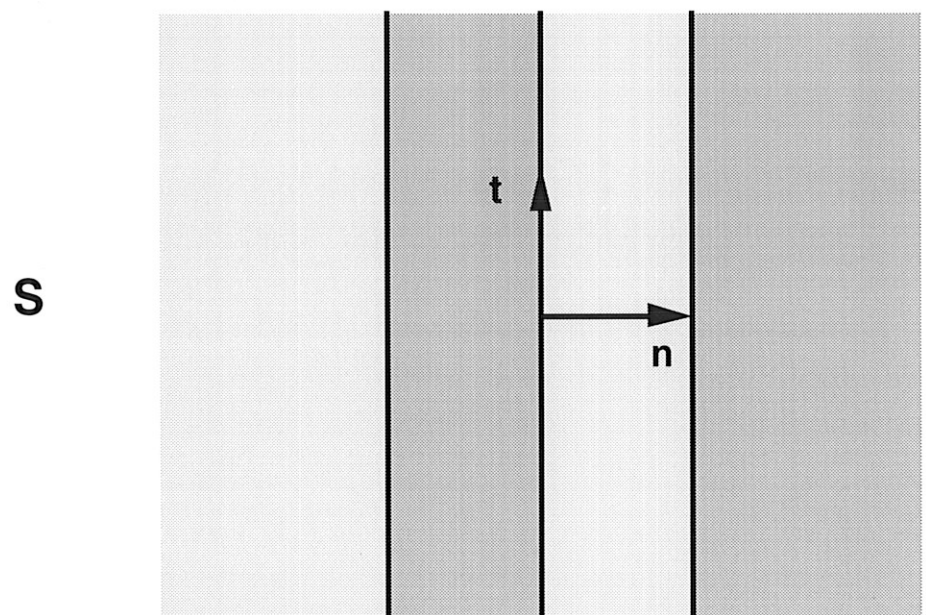
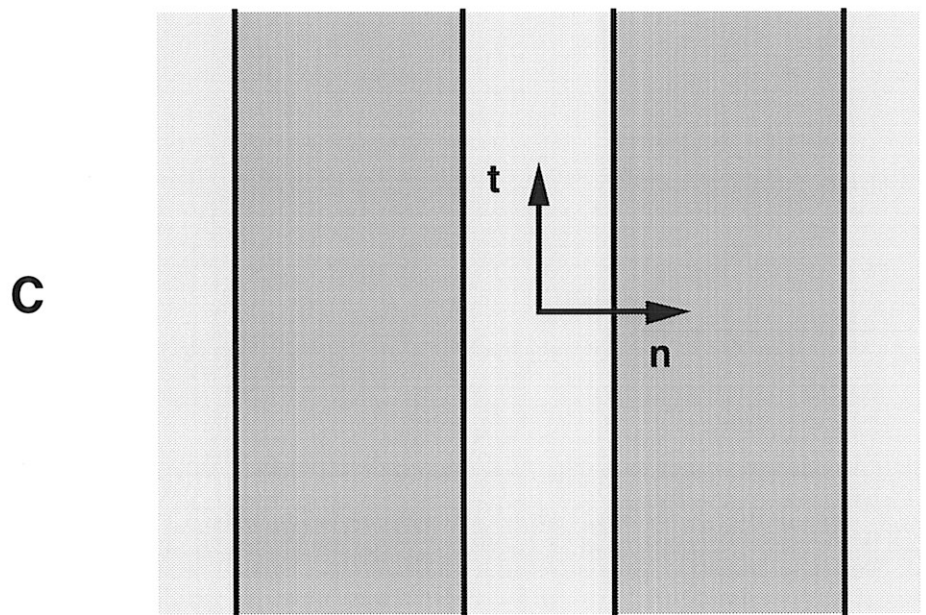
**Figure 4.** Grey-level profile across a horizontal line in the middle of Figure 3.



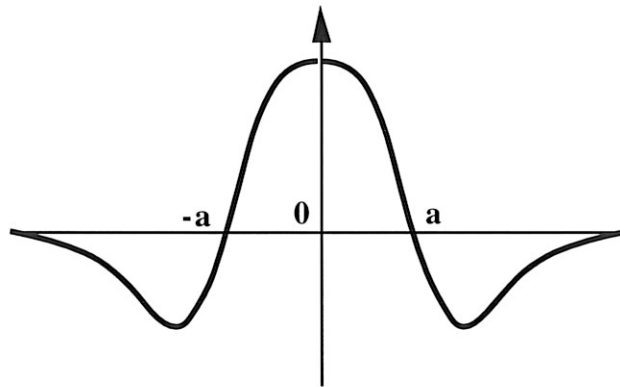
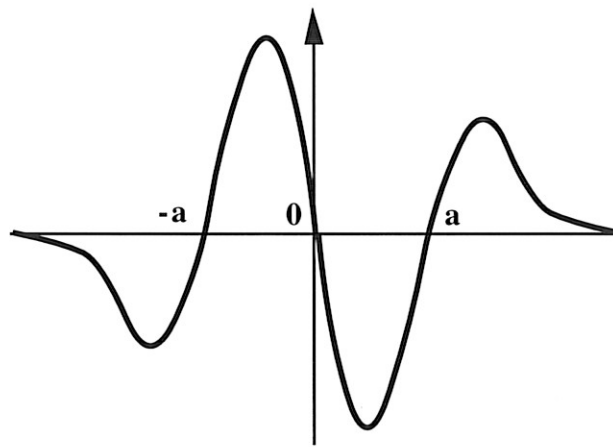
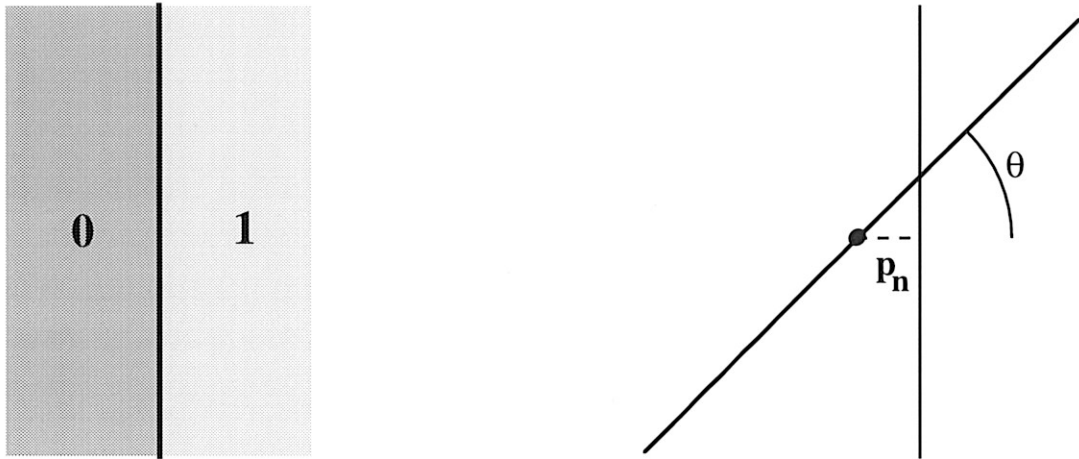
**Figure 5.** A bar edge profile shown in its original size, then magnified 4 times, and finally 16 times. Arrows indicate the position of edges at each scale.



**Figure 6.** Decomposition of  $\mathbf{x} \in \mathcal{E}$  into  $(\mathbf{y}, t) \in \mathcal{E}_n^0 \times \mathbb{R}$ .

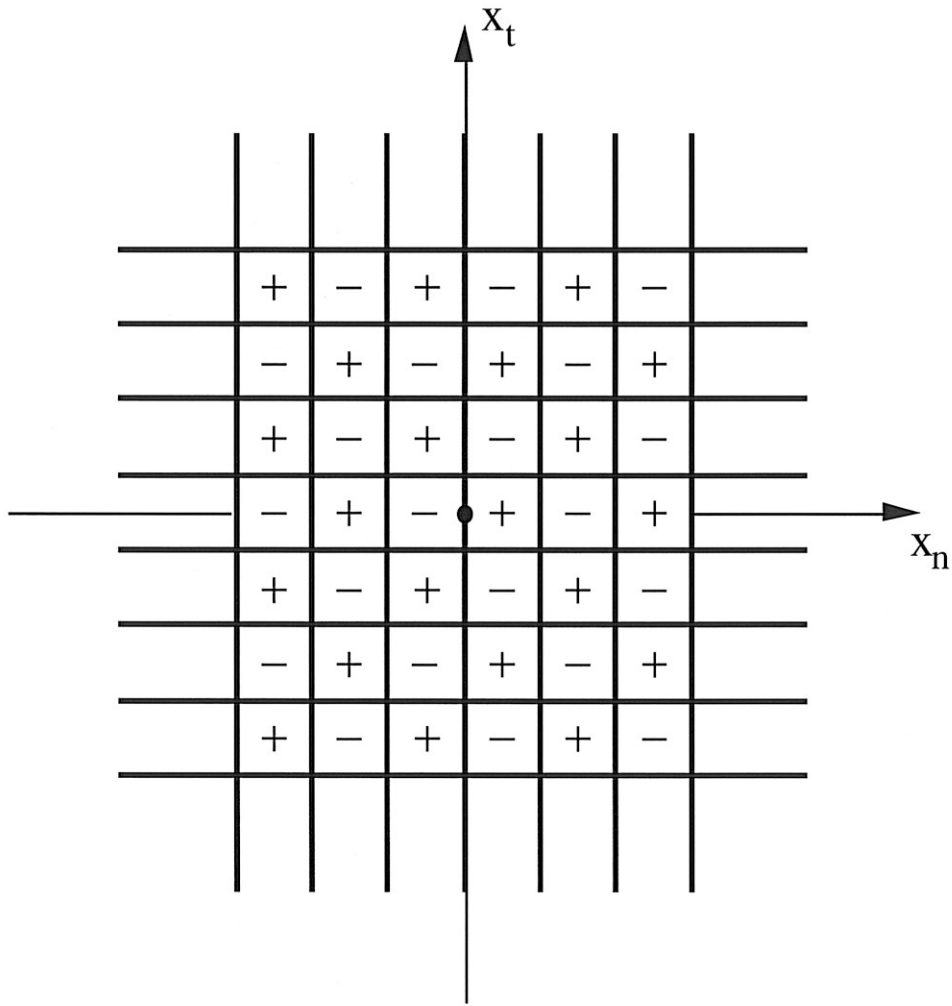


**Figure 7.** Typical pattern for the signs taken by the values of the two filters.

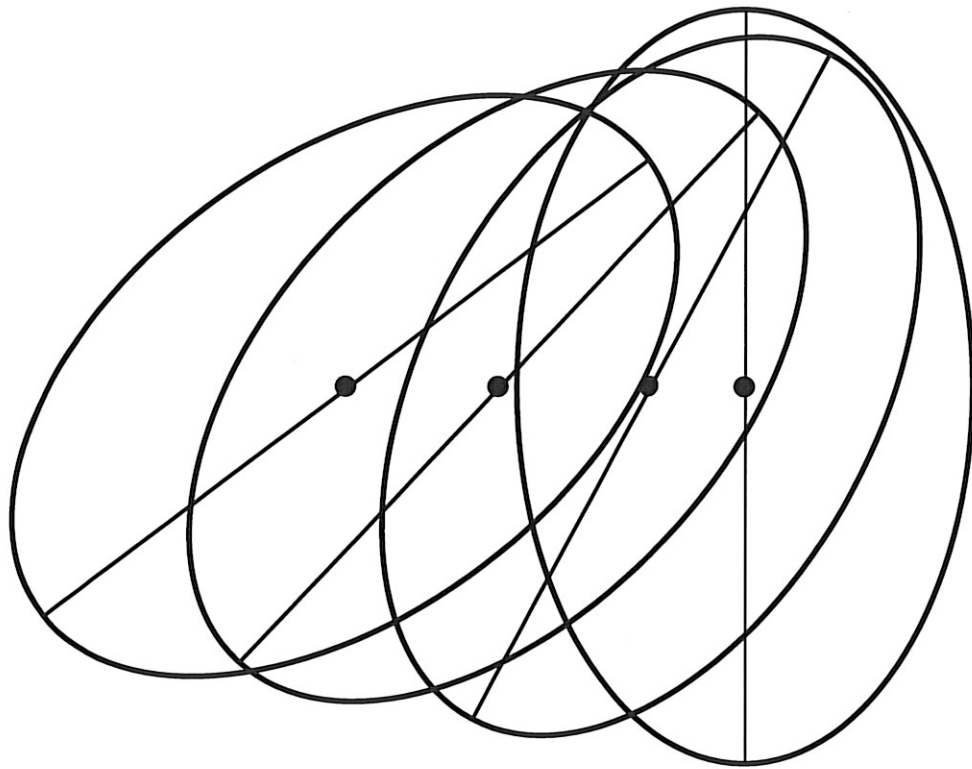


**Figure 8.** Top left: two-dimensional Heaviside step edge. Top right: geometrical illustration of the convolution of  $F_\theta$  by the Heaviside step edge, calculated at a point  $\mathbf{p} = (p_t, p_n)$ . Below: two possible profiles for the function  $f$ , one even-symmetric and the other odd-symmetric.

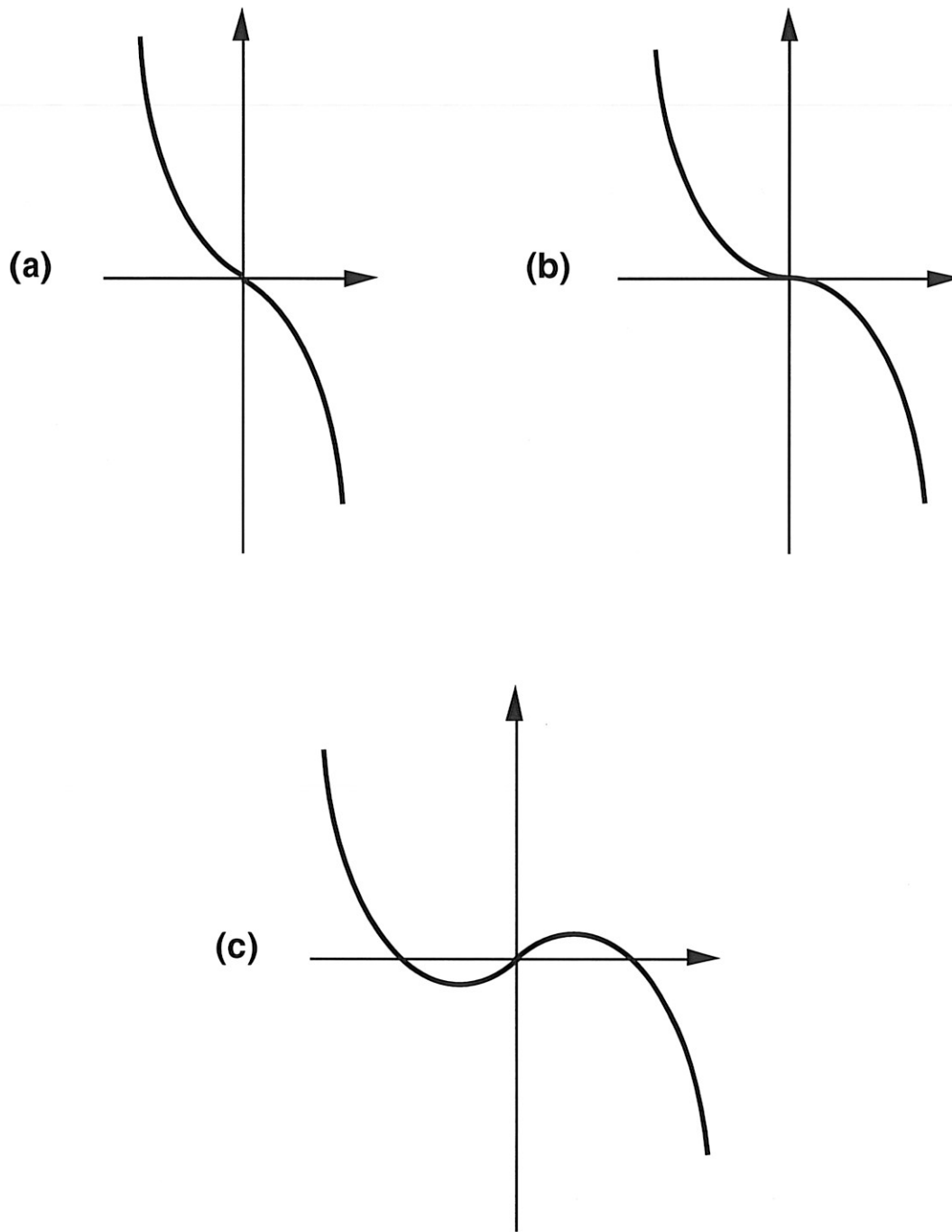




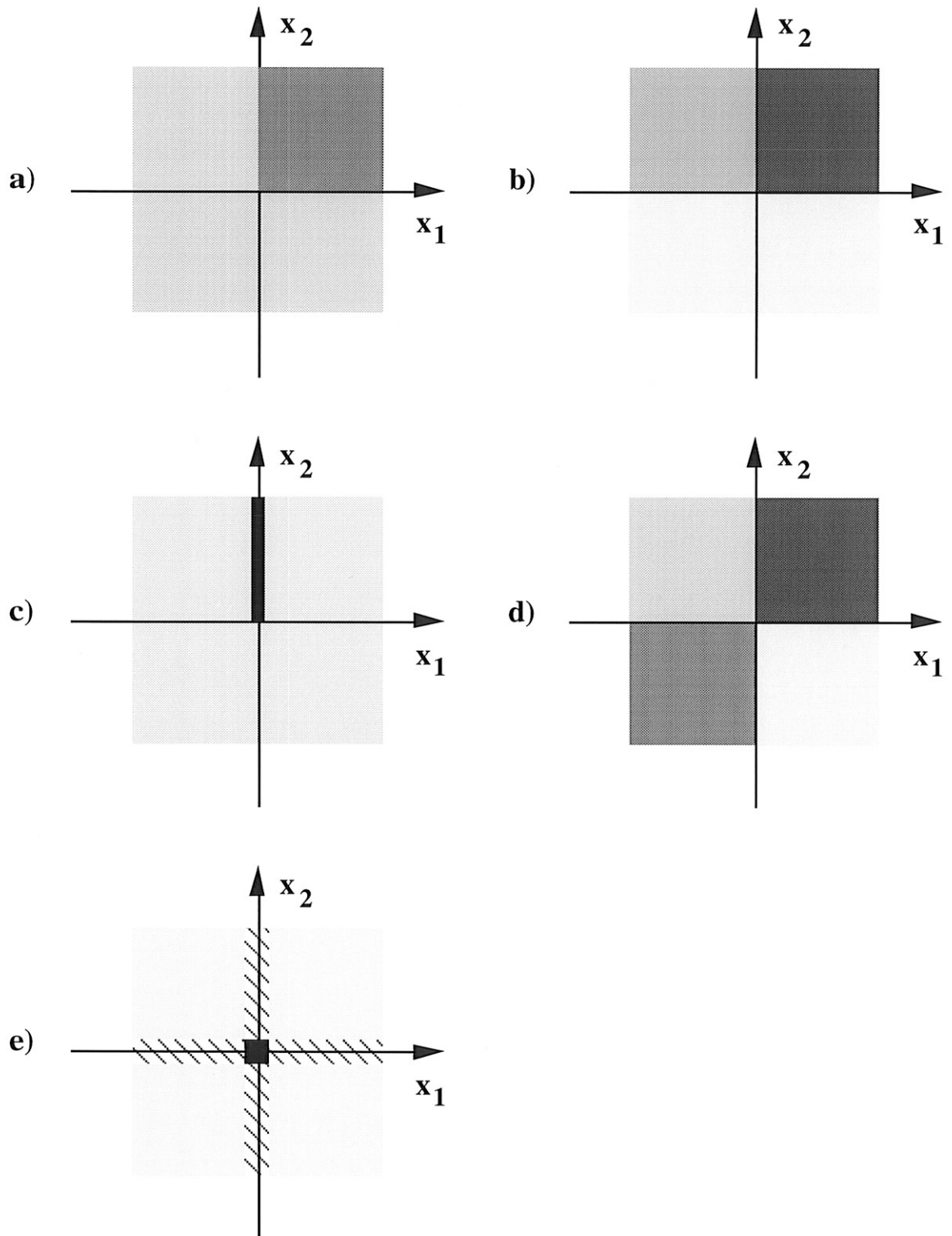
**Figure 9.** Signs and zero-crossings of the function  $F$  (the product of a Gabor sine function in the normal direction and a Gabor cosine function in the tangential direction) given in (4.38).



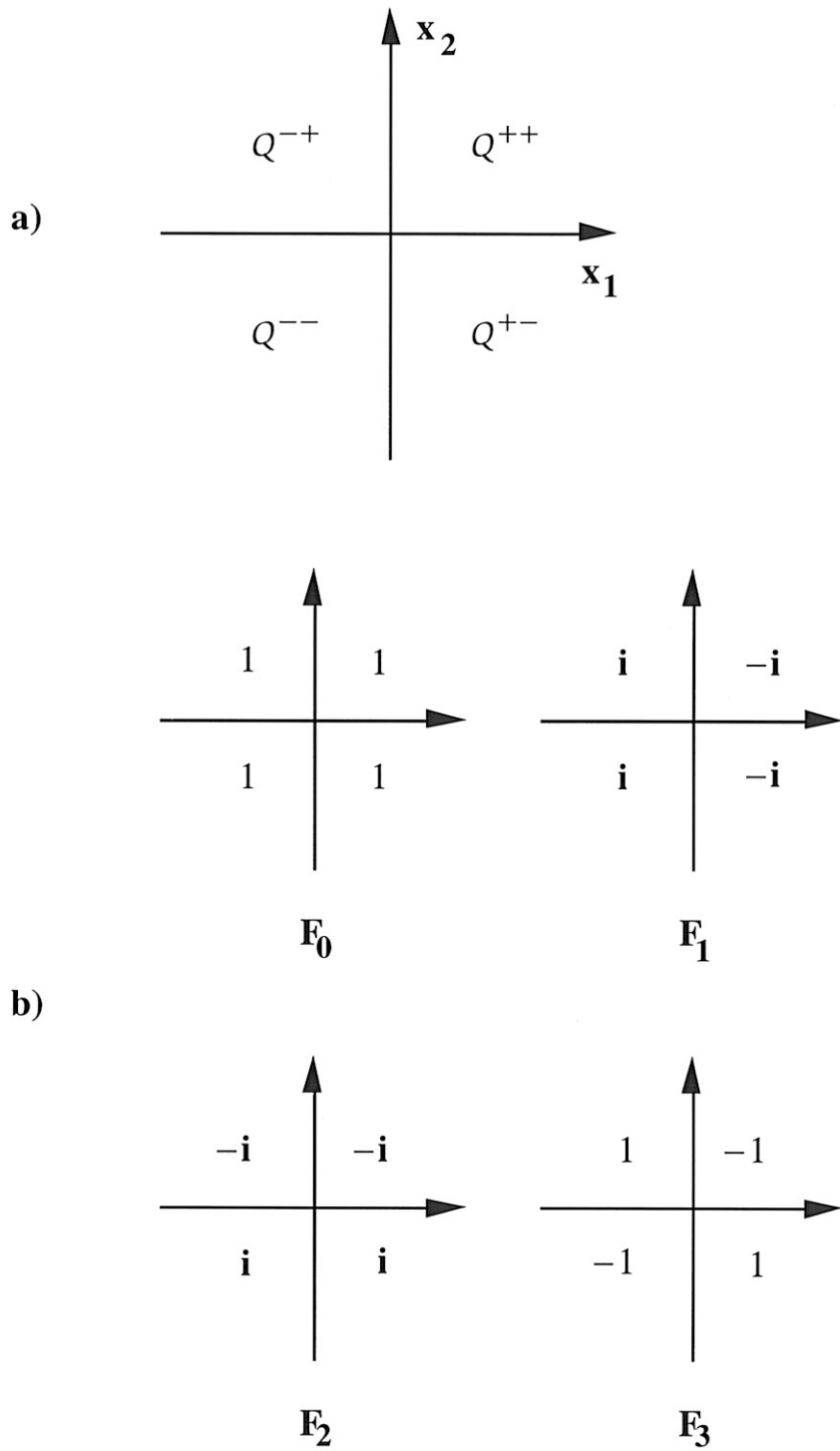
**Figure 10.** Choose the Gaussian derivative filter given in (4.43) with  $\tau = 5$  and  $\nu = 3$ . The support of the filter is represented by an ellipse with great axis  $\tau$  and small axis  $\nu$ , where we show the long axis (corresponding to the tangential axis, which is the locus of zero-crossings of the filter). Orientation selectivity holds for points at distance  $p \leq 3.75$  from the true edge position. We show the support of the filter rotated by the angle  $\theta_p$  given by (4.49), for which the energy function is highest, for the values  $p = 3.75$  ( $\theta_p = 0^\circ$ ),  $p = 5$  ( $\theta_p = 27.88^\circ$ ),  $p = 7$  ( $\theta_p = 43.40^\circ$ ),  $p = 9$  ( $\theta_p = 52.62^\circ$ ).



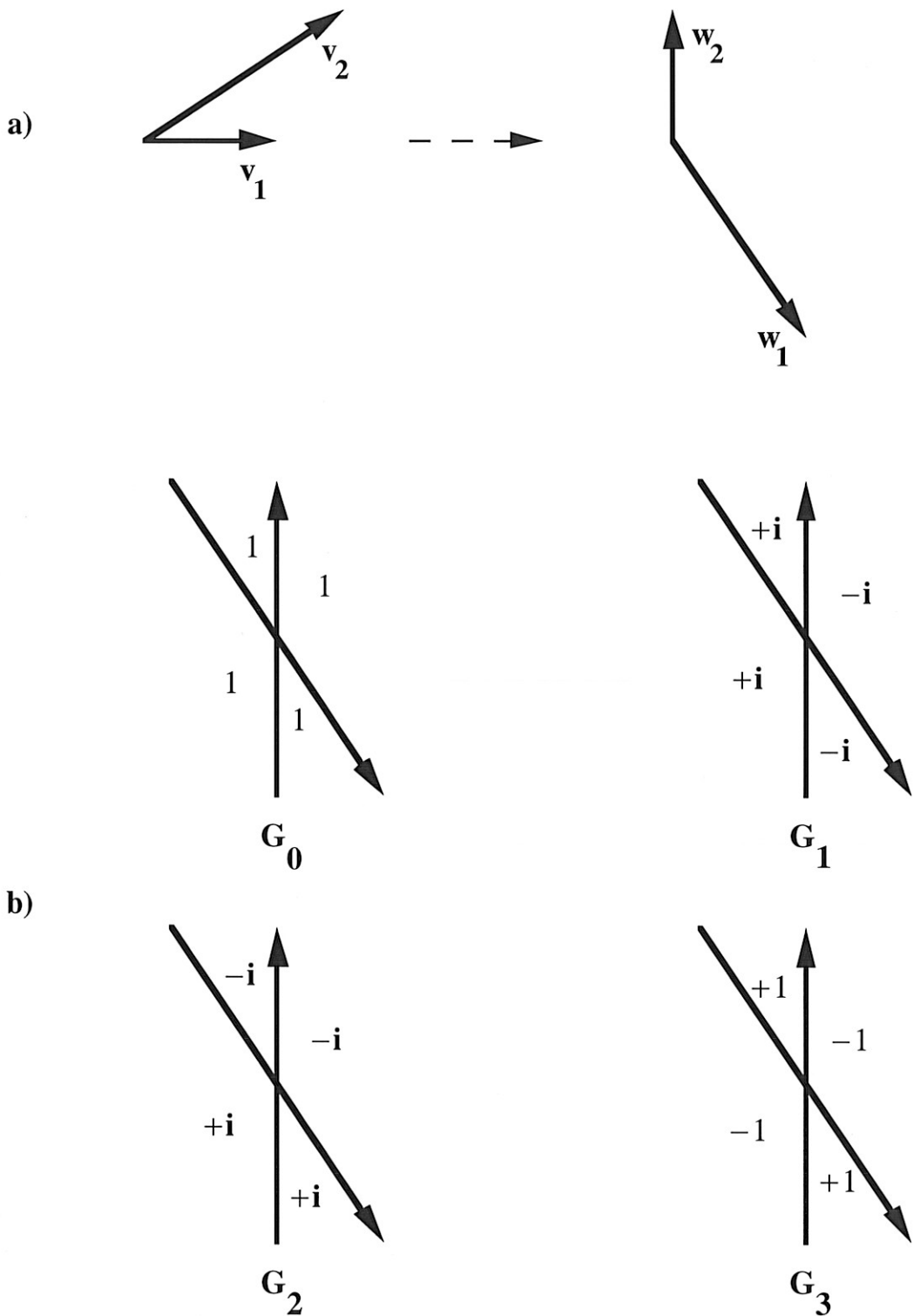
**Figure 11.** As the scale increases from (a) to (c), a non-causal local maximum of the energy function is created.



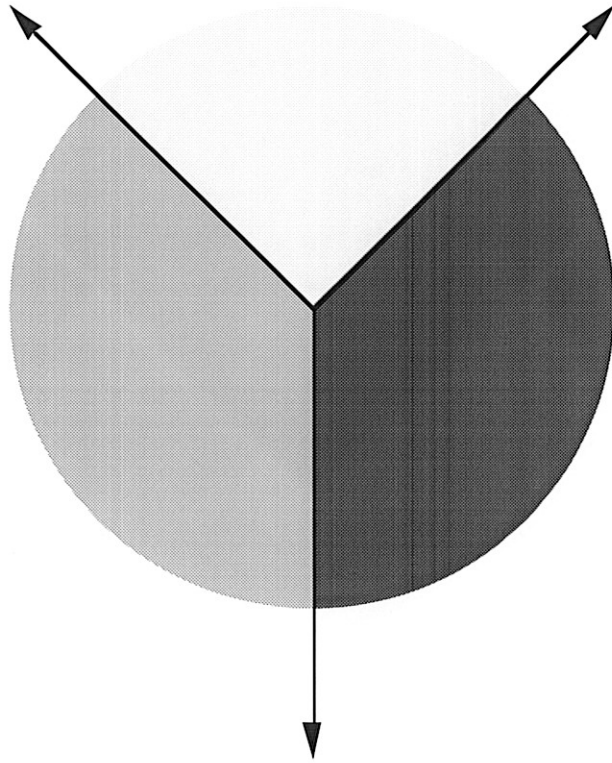
**Figure 12.** Some types of bi-directional features: a) a corner; b) a T-junction; c) a line termination; d) an X-junction; e) a peak (or blob).



**Figure 13.** a) The four quadrants. b) The sign of the Fourier transforms of the four filters in each of the four quadrants.



**Figure 14.** a) We derive from the basis  $\{v_1, v_2\}$  the conjugate basis  $\{w_1, w_2\}$ . b) The four filters  $G_0, G_1, G_2,$  and  $G_3$  oriented along the basis  $\{v_1, v_2\}$  have their Fourier transforms whose signs are constant in the four quadrants determined by  $w_1$  and  $w_2$ , shown here.



**Figure 15.** A Y-junction is a tri-directional feature which does not correspond to the model described in Subsection 5.2